

# versione 0

## Equazioni differenziali – 0

```
In[6]:= Simplify[DSolve[{y'[x] ==  $\frac{3 x^2 y[x]}{2 \text{Log}[y[x]]}$ , y[2] == e^{-1}},  
y[x], x]]
```

Solve::ifun :

Inverse functions are being used by Solve, so some solutions may not be found; use Reduce for complete solution information. >>

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General::stop : Further output of Solve::ifun will be suppressed during this calculation. >>

DSolve::bvnul :

For some branches of the general solution, the given boundary conditions lead to an empty solution. >>

```
Out[6]= {{y[x] -> e^{-\sqrt{-7+x^3}}}}
```

## Funzioni di due variabili, punti critici – 0

```
In[77]:= g[x_, y_] := (x - y) * e^{-x+y^2};  
f[x_, y_] := g[x, y]; Expand[f[x, y]];  
Print[f[x, y]];  
grad = Expand[{D[f[x, y], x], D[f[x, y], y]}];  
Print[grad];  
Print[Solve[grad == {0, 0}, {x, y}]];  
H[x_, y_] =  $\begin{pmatrix} \partial_{x,x} f[x, y] & \partial_{x,y} f[x, y] \\ \partial_{y,x} f[x, y] & \partial_{y,y} f[x, y] \end{pmatrix};$   
Print[Simplify[MatrixForm[H[x, y]]]]
```

$e^{-x+y^2} (x - y)$

$\{e^{-x+y^2} - e^{-x+y^2} x + e^{-x+y^2} y, -e^{-x+y^2} + 2 e^{-x+y^2} x y - 2 e^{-x+y^2} y^2\}$

$\left\{ \left\{ x \rightarrow \frac{3}{2}, y \rightarrow \frac{1}{2} \right\} \right\}$

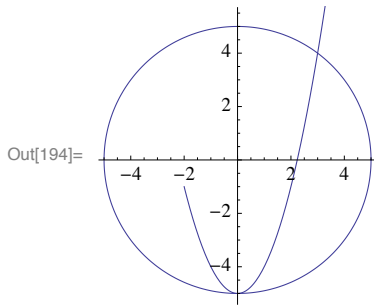
$\begin{pmatrix} e^{-x+y^2} (-2 + x - y) & e^{-x+y^2} (1 - 2 (-1 + x) y + 2 y^2) \\ e^{-x+y^2} (1 - 2 (-1 + x) y + 2 y^2) & 2 e^{-x+y^2} (x - 3 y + 2 x y^2 - 2 y^3) \end{pmatrix}$

```
In[76]:= Print[Simplify[MatrixForm[H[ $\frac{3}{2}, \frac{1}{2}$ ]]]]
```

$\begin{pmatrix} -\frac{1}{e^{5/4}} & \frac{1}{e^{5/4}} \\ \frac{1}{e^{5/4}} & \frac{1}{e^{5/4}} \end{pmatrix}$

## Integrale doppio – 0

```
In[192]:= aa = Plot[x^2 - 5, {x, -2, 3.5}, AspectRatio -> Automatic];
ab = ParametricPlot[{5 Cos[t], 5 Sin[t]}, {t, 0, 2 Pi}];
Show[aa, ab, PlotRange -> {-5.2, 5.5}]
```



```
In[177]:= f[x_, y_] :=  $\frac{2x}{y+6}$ ;
```

```
Simplify[ $\left\{ \int_{\sqrt{5+y}}^{\sqrt{25-y^2}} f[x, y] dx, \right.$ 
```

$$\int \int_{\sqrt{5+y}}^{\sqrt{25-y^2}} f[x, y] dx dy,$$

$$\left. \int_{-5}^4 \int_{\sqrt{5+y}}^{\sqrt{25-y^2}} f[x, y] dx dy \right\}$$

```
Out[178]=  $\left\{ -\frac{-20 + y + y^2}{6 + y}, 48 + 5y - \frac{y^2}{2} - 10 \text{Log}[6 + y], \frac{99}{2} - 10 \text{Log}[10] \right\}$ 
```

## Numero complesso – 0

```
In[189]:= z = (4 + 3 i) * (3 + sqrt(3) i)^4; Print[{Abs[z], Arg[z]}]
```

```
{720, pi + ArcTan[ $\frac{-\frac{216}{5} + \frac{288\sqrt{3}}{5}}{-\frac{288}{5} - \frac{216\sqrt{3}}{5}}$ ] ]}
```

```
In[182]:= Simplify[%]
```

```
Out[182]= (4 + 3 i) (-3 i + sqrt(3))^4
```

## Matrice, autovalori... – 0

```
In[191]:= a =  $\begin{pmatrix} 2 & 3 \\ 2 & -3 \end{pmatrix}$ ; Print[{Eigenvalues[a], Eigenvectors[a]}]
```

```
{{-4, 3}, {{-1, 2}, {3, 1}}}
```