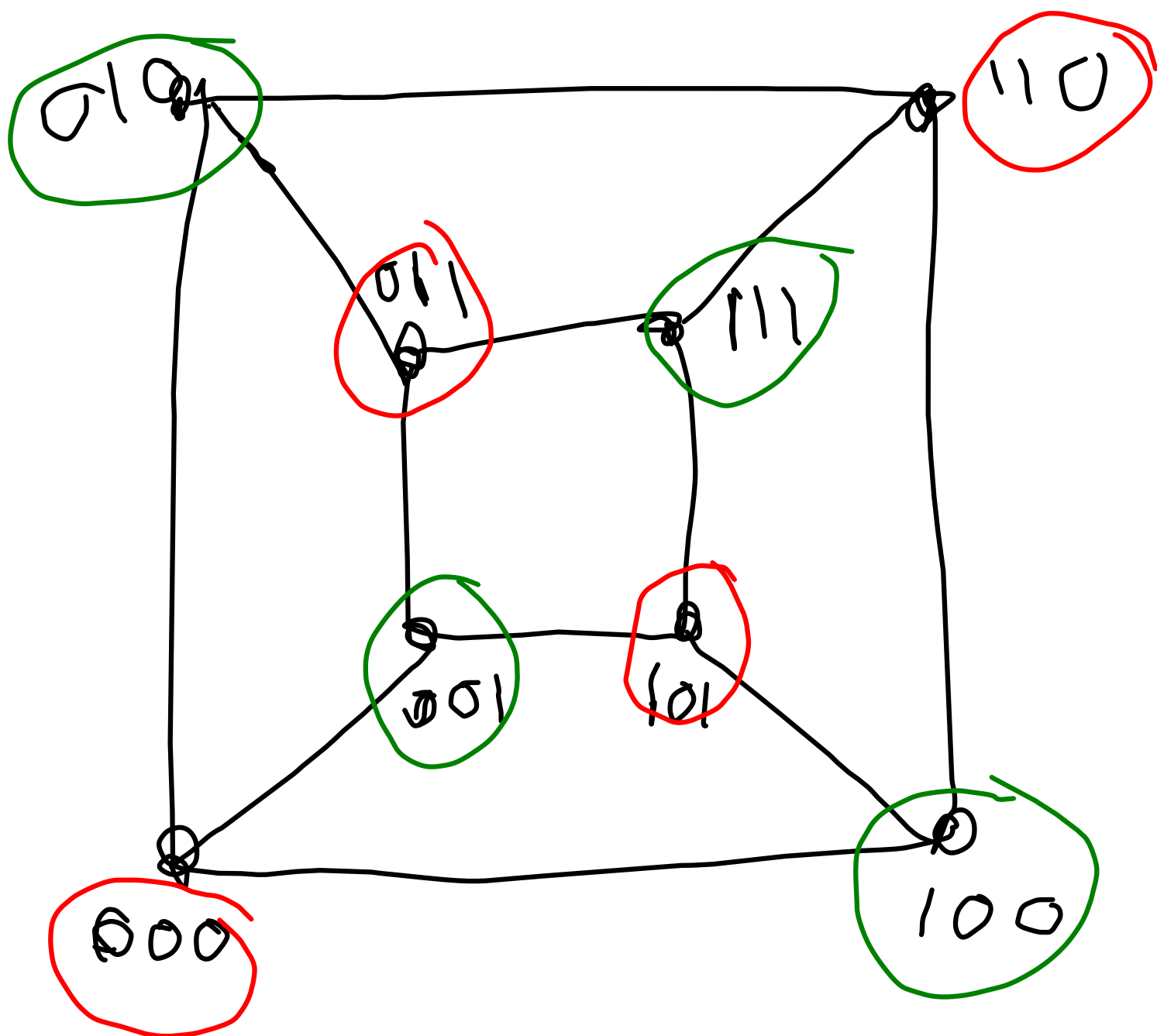
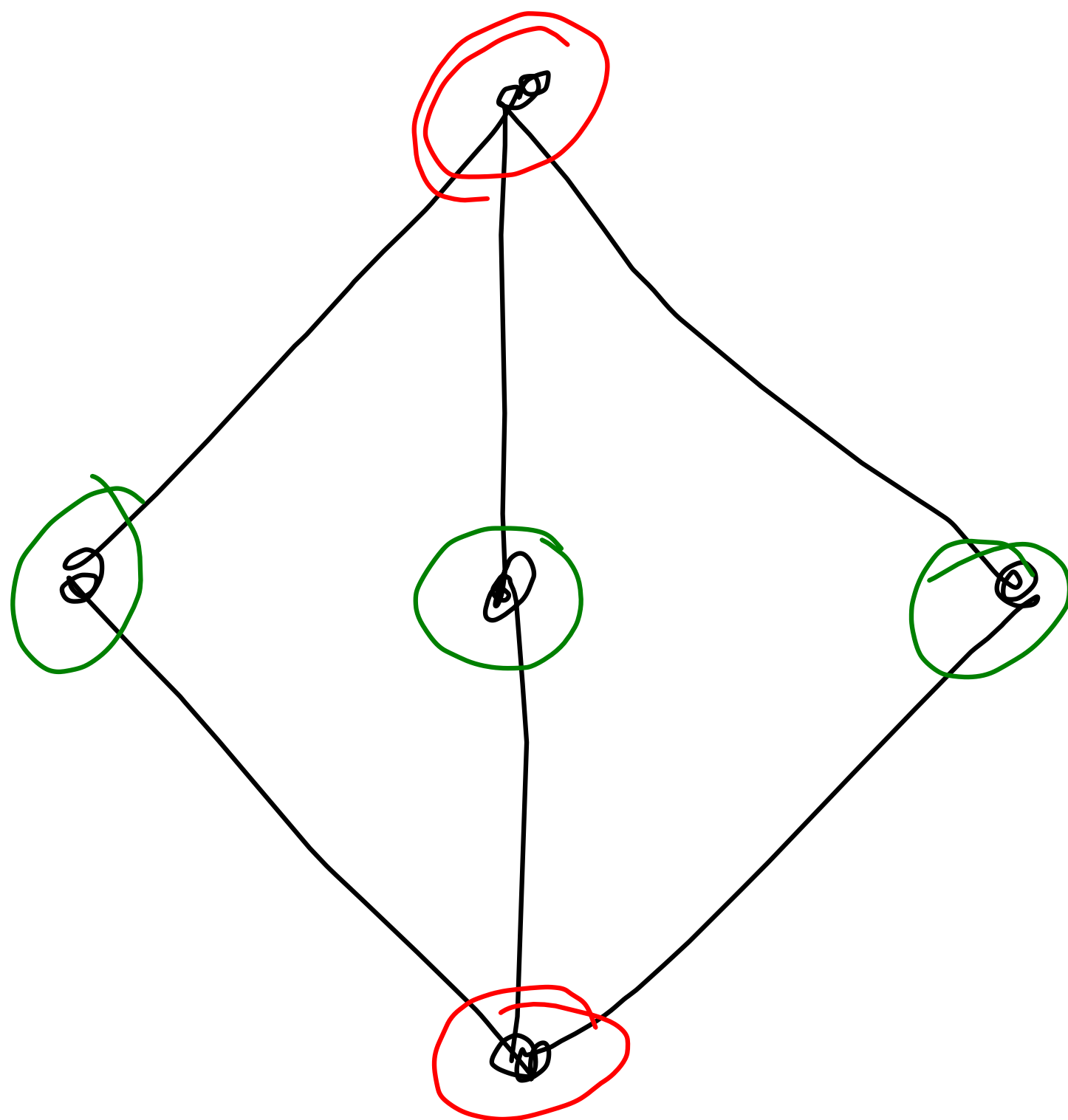
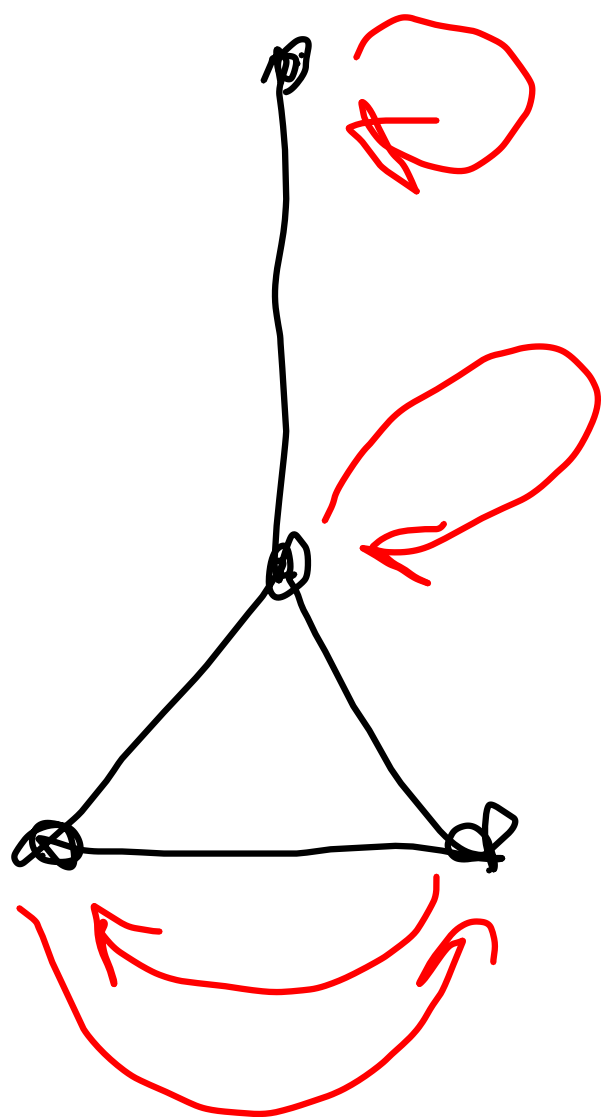




x

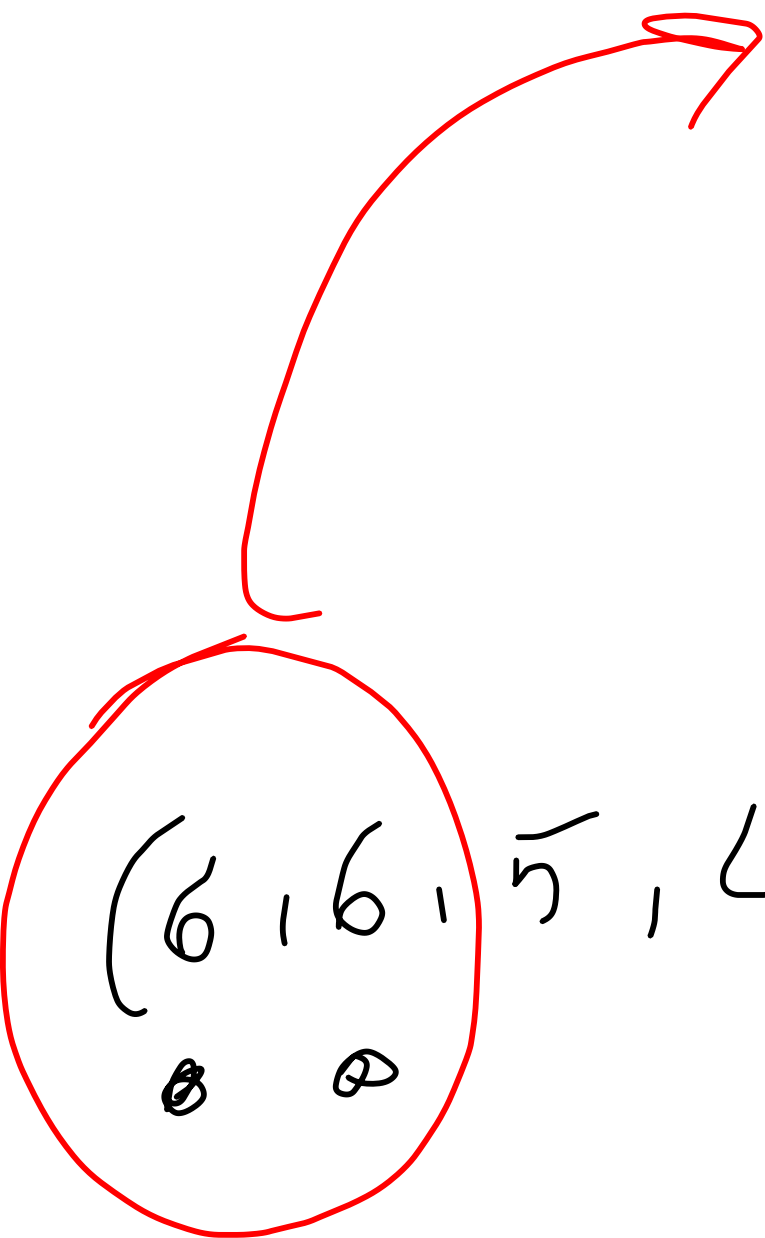
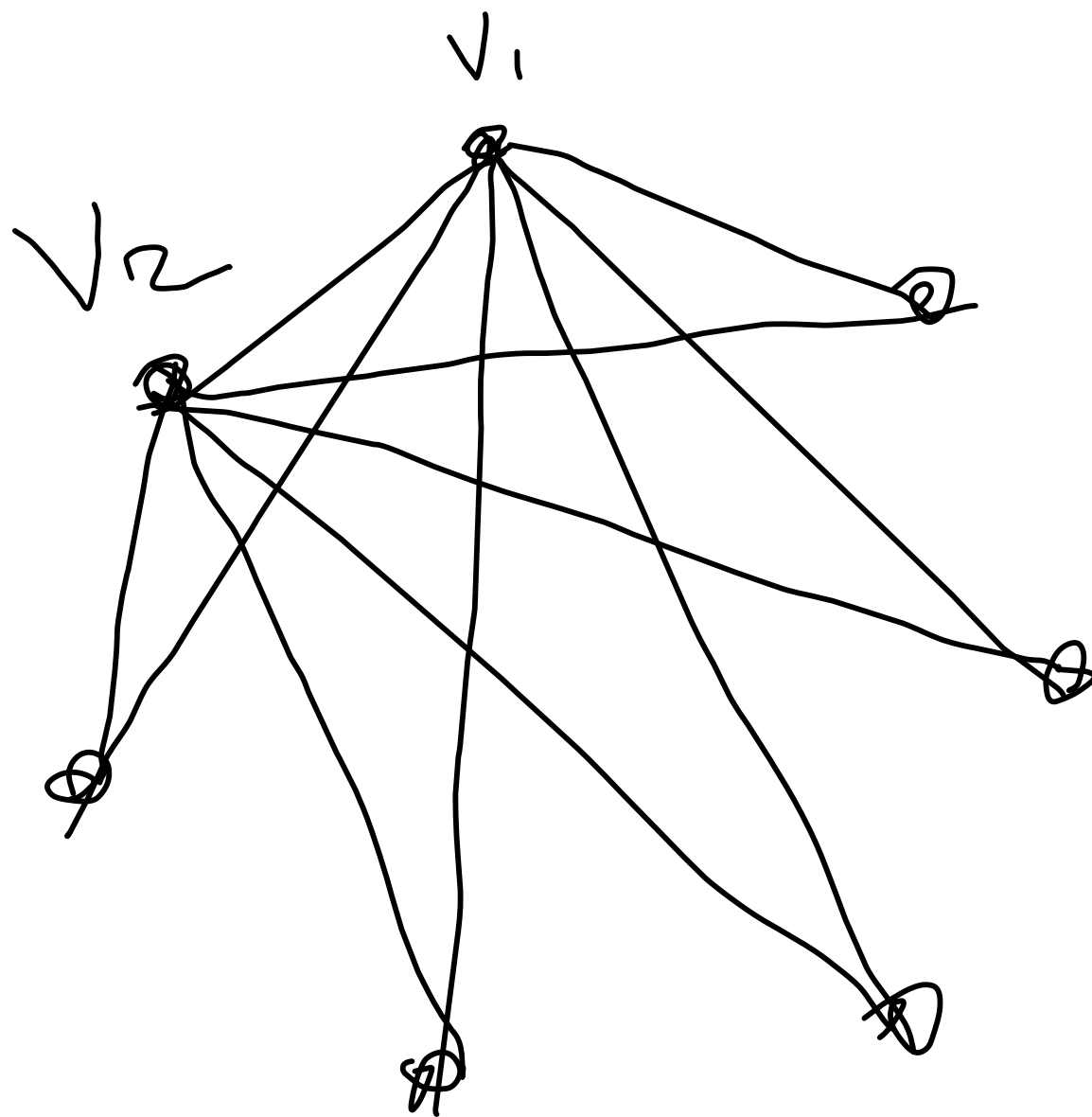
y



$(1, 3, 6, 4, 5, 2, 3)$

$$E = \frac{28}{2} = 14$$

$$E(K_7) = \frac{7 \cdot 6}{2} = 7 \cdot 3 = 21$$



(6, 6, 5, 4, 3, 3, 1)

$v_1 a v_2 \overset{a}{\cancel{b}} \overset{c}{\cancel{c}} \overset{d}{\cancel{d}} v_2 e v_5 f v_6 g v_7 h v_5 i v_8 j v_9$



$v_1 a v_2 e v_5 \overset{f}{\cancel{f}} \overset{g}{\cancel{g}} \overset{h}{\cancel{h}} v_5 i v_8 j v_9$



$v_1 a v_2 e v_5 i v_8 j v_9$

set $X \neq \emptyset$

A distance d on X is a function

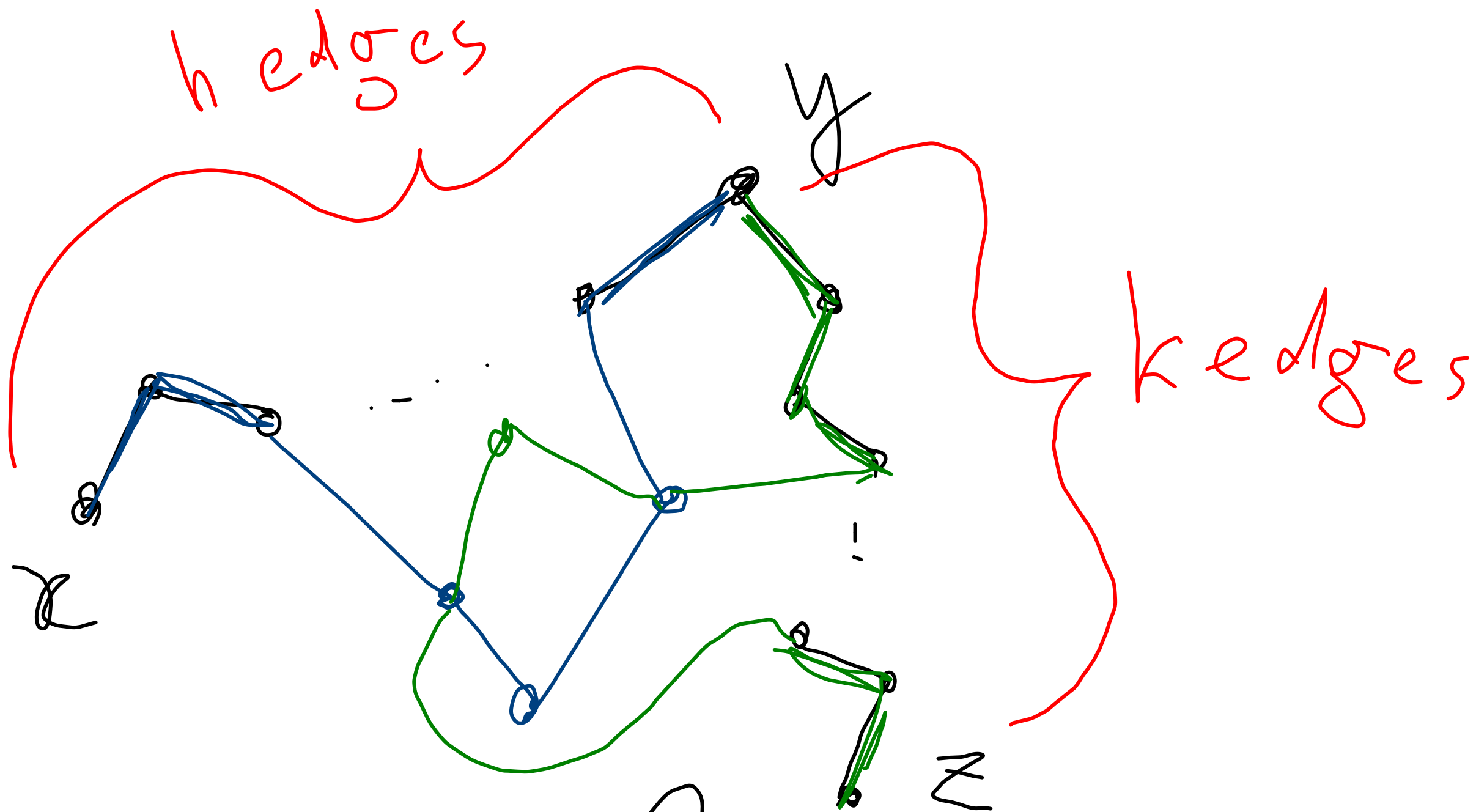
$$d: X \times X \longrightarrow \mathbb{R} \cup \{+\infty\}$$

such that $x, y, z \in X$

1) $d(x, y) \geq 0$ and $d(x, y) = 0 \iff x = y$

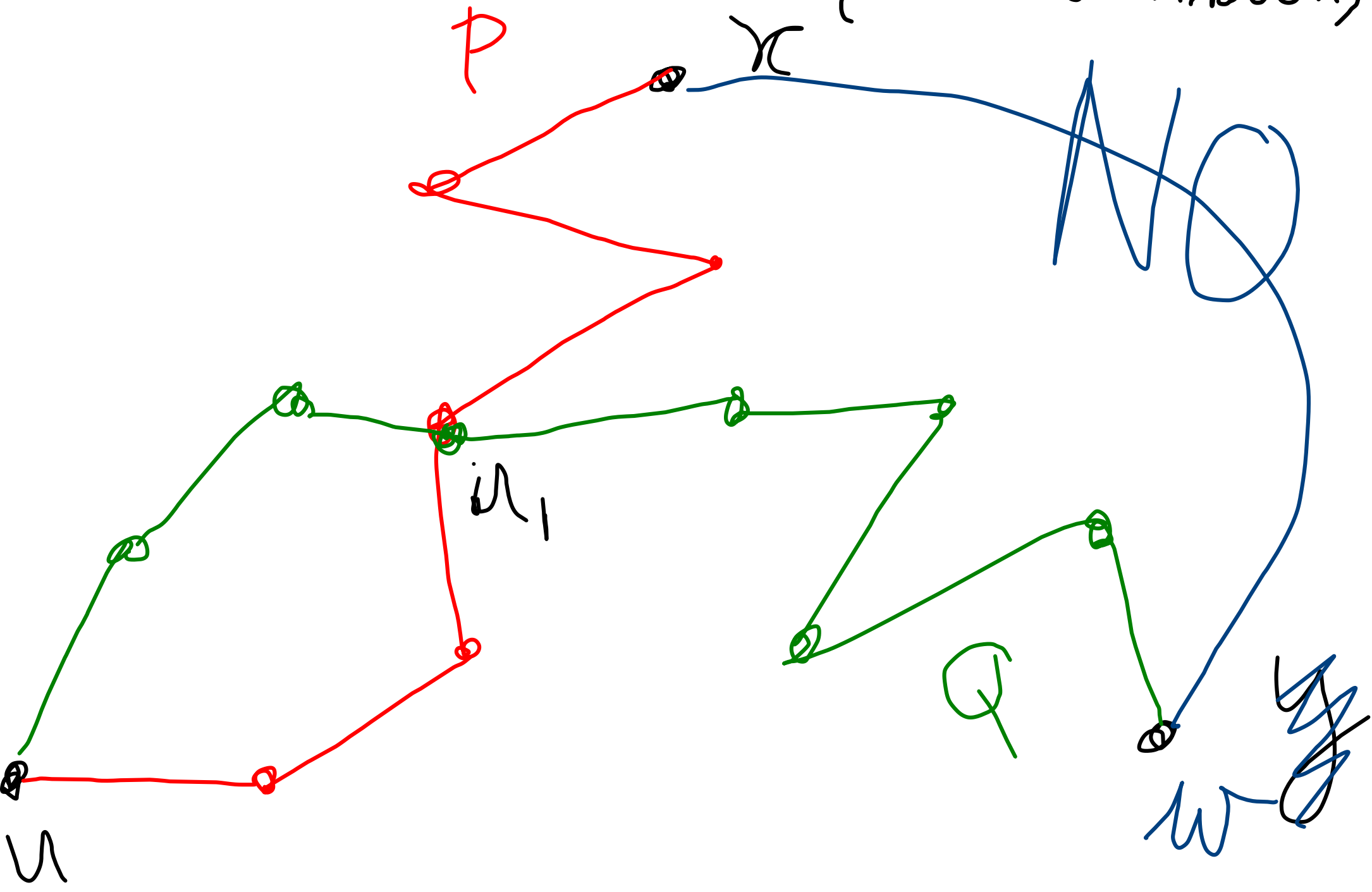
2) $d(x, y) = d(y, x)$

$$3) \quad d_{\mathbb{H}}(x, y) + d_{\mathbb{H}}(y, z) \geq d_{\mathbb{H}}(x, z)$$



$$d_h(x, y) + d_k(y, z) \geq d_l(x, z)$$

(γ in the textbook)

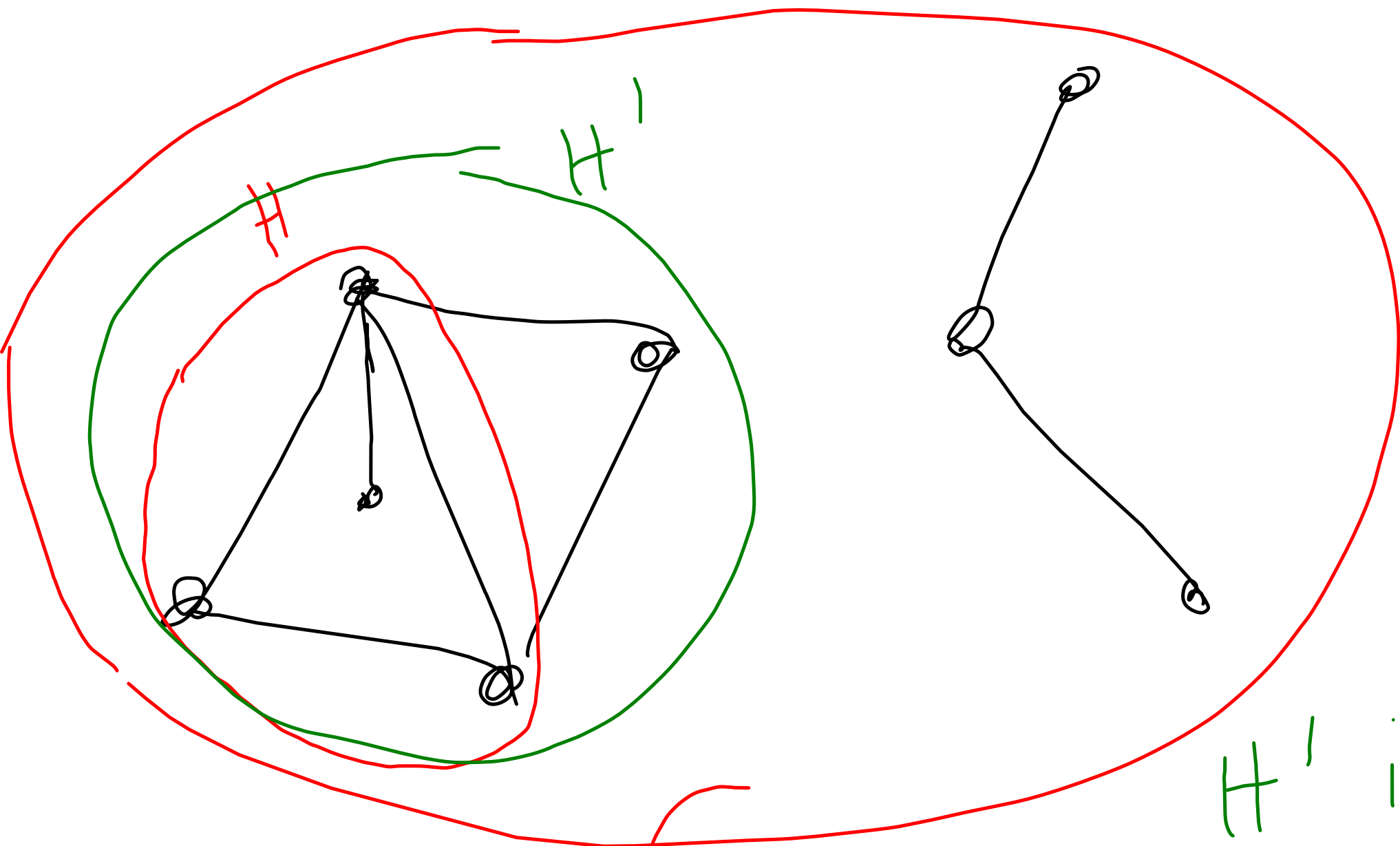


Equivalent definition of connected graph

A graph G is said to be connected if,
for any two vertices u, v in G , there
exists at least one path from u to v .

Equivalent definition of component
In a graph G , a (connected) component
is a subgraph H that is connected
and is maximal with respect to
this property

it means: H is connected and there
is no connected subgraph H' containing
 H



is H a component?
 No, because
 $H' \supset H$
 and is
 connected

H' is a component?
 Yes, it is connected and is
 not contained in a connected subgraph of G

