

versione 0

Equazioni differenziali – 0

```
TrigReduce[DSolve[{5 y''[x] + 2 y'[x] + y[x] == 4 e^{-x/5}, y[0] == 6, y'[0] == 2},  
y[x], x]]  
  
{y[x] → e^{-x/5} (5 + Cos[2 x/5] + 8 Sin[2 x/5])}
```

Funzioni di due variabili, punti critici – 0

```
Minimo, massimo di f(x, y) = x^2 + y^2 - 4 x  
in A = {(x, y); 1 ≤ y ≤ 1 + x^3, x ≤ 3}  
assai facile con linee di livello (circonferenze)  
  
f[x_, y_] := x^2 + y^2 - 4 x;  
{f[2, 1], f[3, 28]}  
  
{-3, 781}
```

Integrale doppio – 0

```
f[x_, y_] := x^3 / (y^3 + 2);  
  
Simplify[{\int_{\sqrt{1/2} y}^{\sqrt{y}} f[x, y] dx,  
  
 \int_0^1 \int_{\sqrt{1/2} y}^{\sqrt{y}} f[x, y] dx dy}]  
  
{(3 y^2) / (16 (2 + y^3)), 1/16 Log[3/2]}
```

Numeri complessi – 0

```
Solve[z^6 == -64, z]  
  
{ {z → -2 i}, {z → 2 i}, {z → -2 (-1)^{1/6}}, {z → 2 (-1)^{1/6}}, {z → -2 (-1)^{5/6}}, {z → 2 (-1)^{5/6}} }  
  
Print[Table[Expand[2 (Cos[\pi + 2 k \pi]/6) + i Sin[\pi + 2 k \pi]/6], {k, 0, 5}]]  
  
{i + √3, 2 i, i - √3, -i - √3, -2 i, -i + √3}
```

Matrici, autovalori – 0

```

a[k_, h_] :=  $\begin{pmatrix} 7 & k \\ 4 & h \end{pmatrix}$ ; Print[MatrixForm[a[k, h]]];
v = {{1}, {1}}; Print[MatrixForm[v]];
Print[MatrixForm[a[k, h].v]];
Solve[a[k, h].v == 3 v, {h, k}]

 $\begin{pmatrix} 7 & k \\ 4 & h \end{pmatrix}$ 

 $\begin{pmatrix} 1 \\ 1 \end{pmatrix}$ 

 $\begin{pmatrix} 7+k \\ 4+h \end{pmatrix}$ 

{{k -> -4, h -> -1}}
```

{aa = a[-4, -1]; Print[MatrixForm[aa]];
Print[Eigenvalues[aa]];
Print[Eigenvectors[aa]];
b = Inverse[aa]; Print[MatrixForm[b]];
Print[MatrixForm[aa.b]]}

$\begin{pmatrix} 7 & -4 \\ 4 & -1 \end{pmatrix}$

{3, 3}

{{1, 1}, {0, 0}}

$\begin{pmatrix} -\frac{1}{9} & \frac{4}{9} \\ -\frac{4}{9} & \frac{7}{9} \end{pmatrix}$

$\begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$