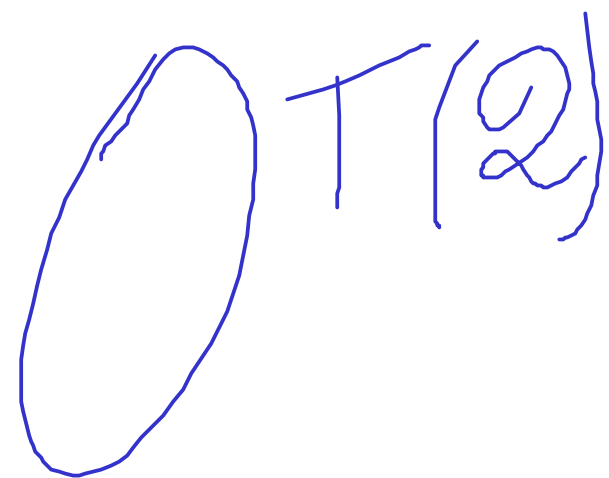
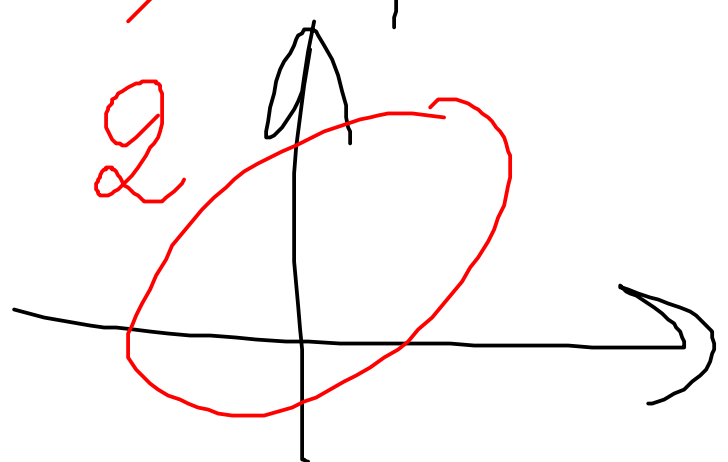
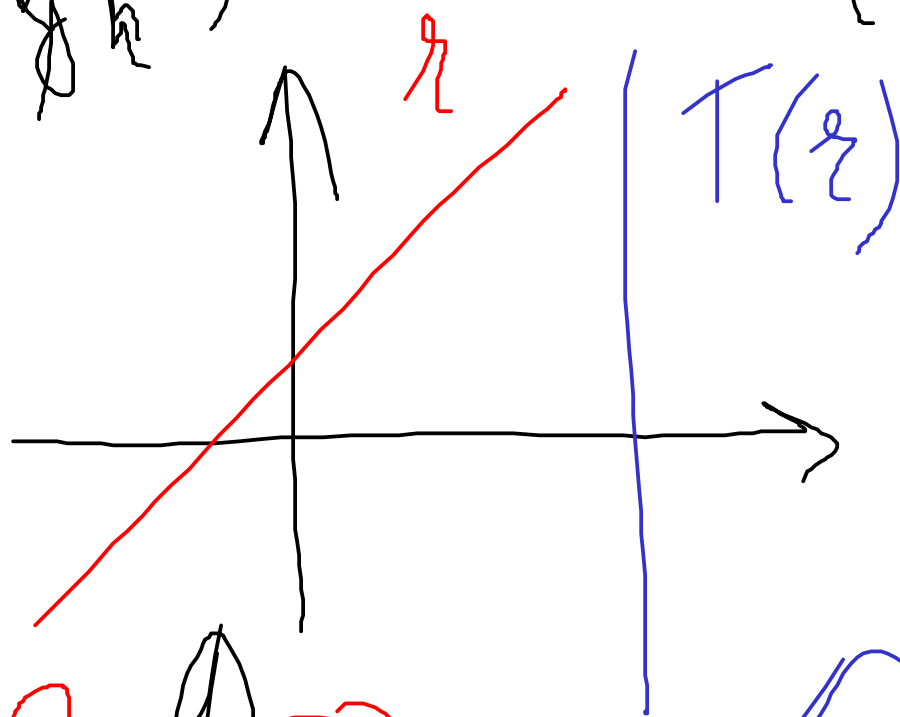
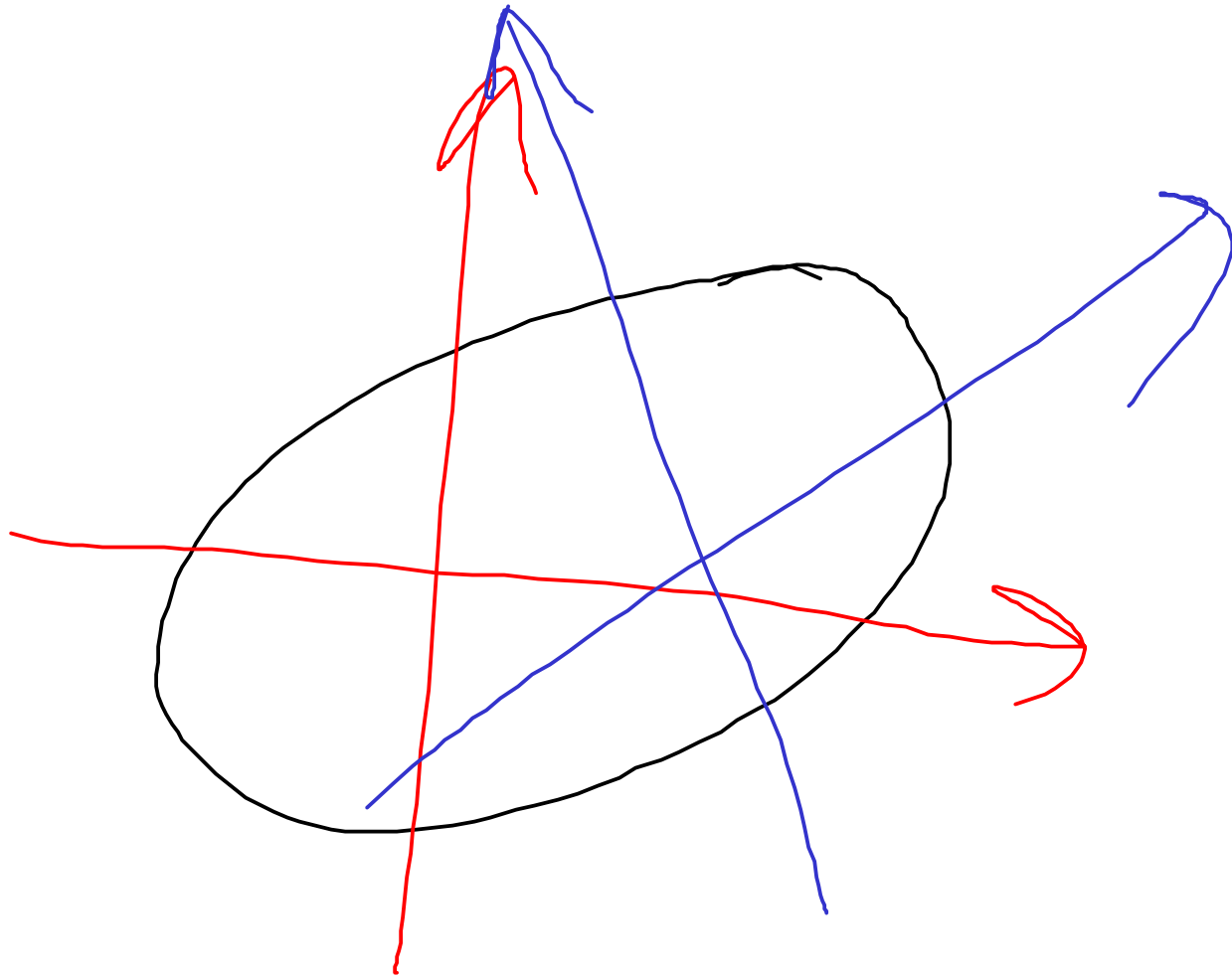


$$\begin{pmatrix} \cancel{x_1} & 0 \\ \cancel{x_2} & h \end{pmatrix} = A \cdot \begin{pmatrix} \cancel{x_1} & 0 \\ \cancel{x_2} & h \end{pmatrix}$$





I perquadriche di discri-  
minanti  $A$  e  $B$  sono  
proiettivamente  
equivalenti

$\Leftrightarrow \exists \lambda \in \mathbb{K} \setminus \{0\} \text{ c. } A \text{ è congruente a } \lambda B$

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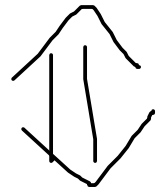
Caso  $\mathbb{K} = \mathbb{C}$

I perq. pro eq  $\Leftrightarrow A$  congr. a  $B$

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Caso  $K = \mathbb{R}$

$A$  congr.  $\alpha$   $B$



1) se  $\alpha > 0$   $A$  congr.  $\alpha B$

2) se  $\alpha < 0$   $A$  congr.  $\alpha - B$