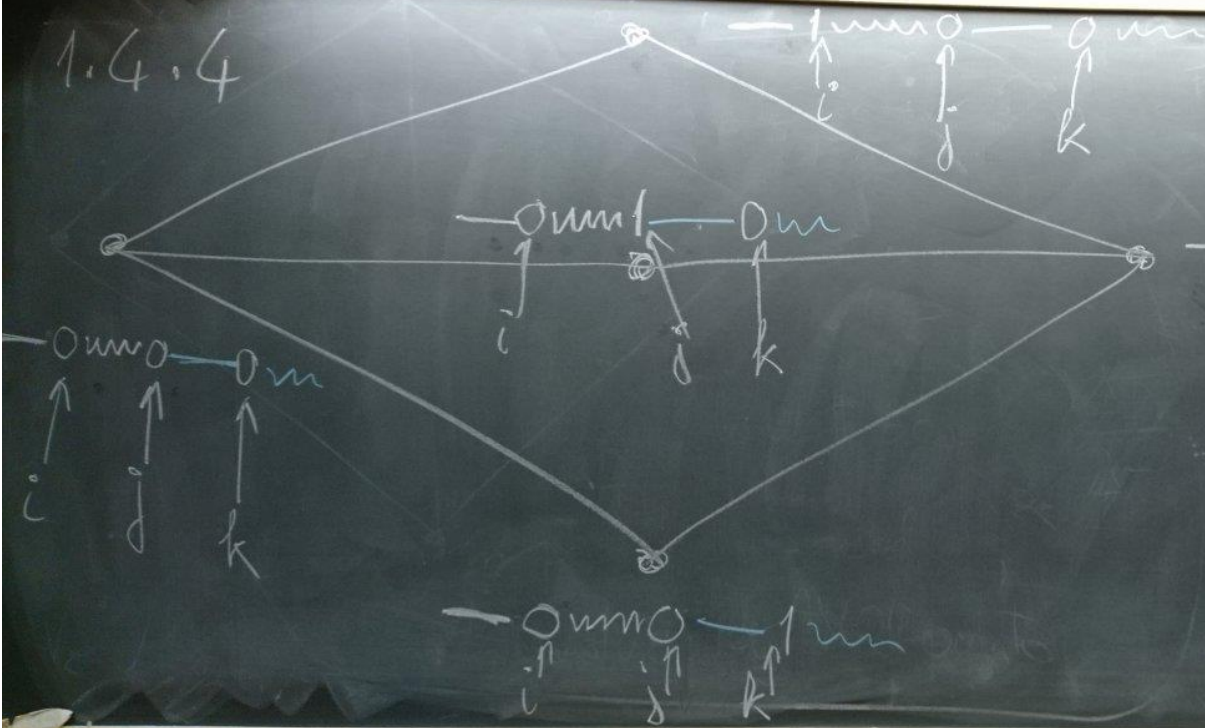


1.4.4



~~0mno — 0mn~~  
different from  
the initial  
vertex

~~1mno — 1mn~~

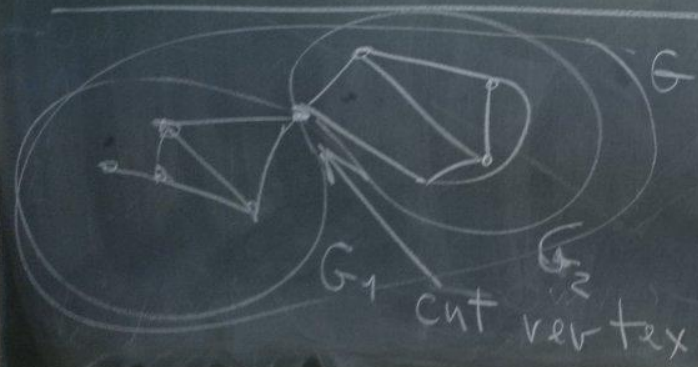
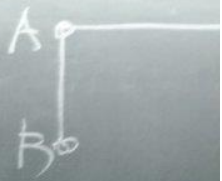
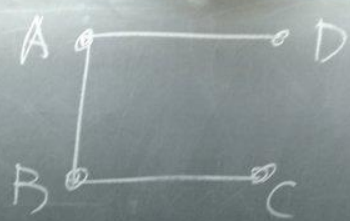
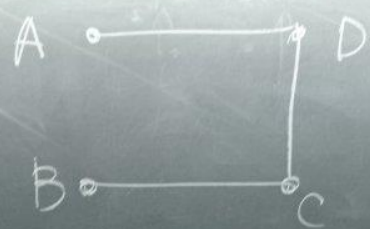
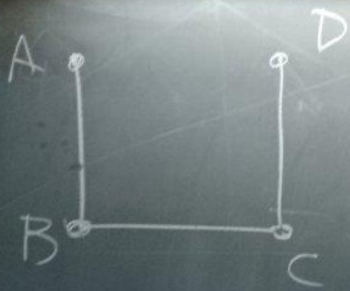
1.7.2

$G(V, E)$

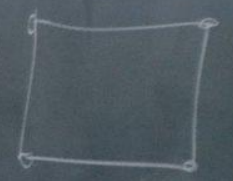
longest

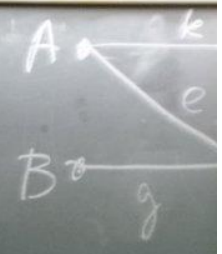
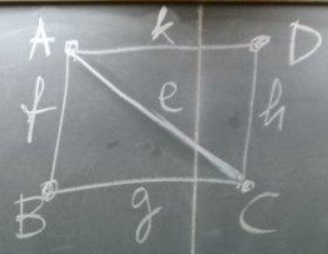
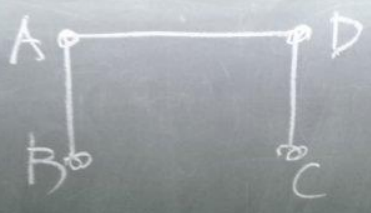
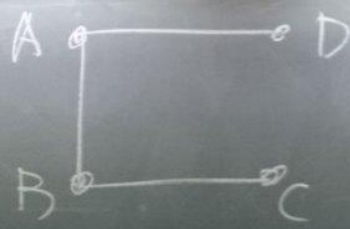
$\delta \geq 2$





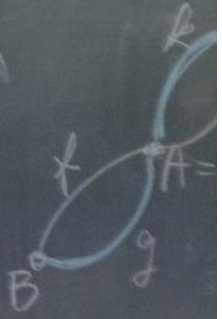
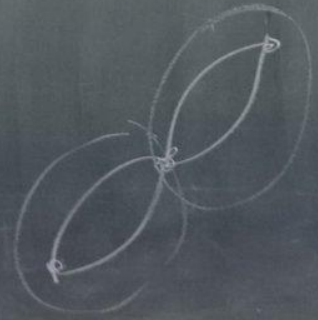
$$\tau(G) = \tau(G_1) \cdot \tau(G_2)$$





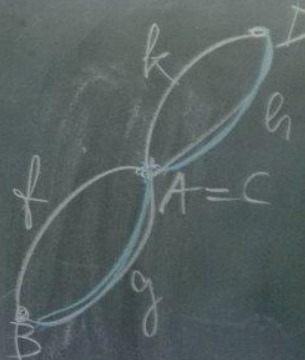
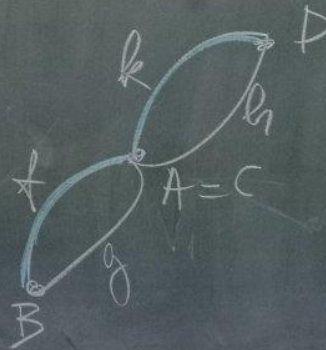
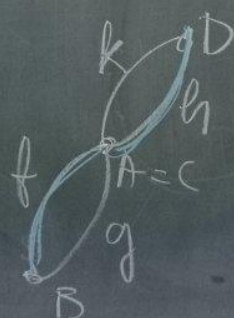
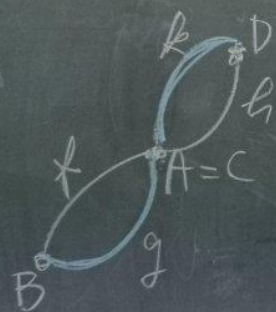
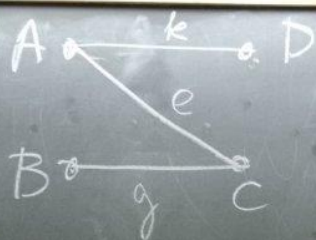
$$\binom{4}{2} = \frac{4 \cdot 3}{2} = 6$$

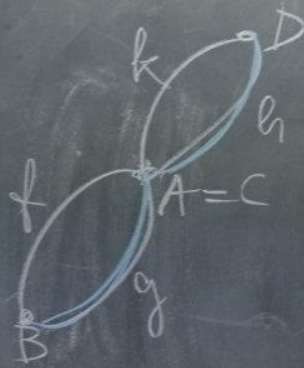
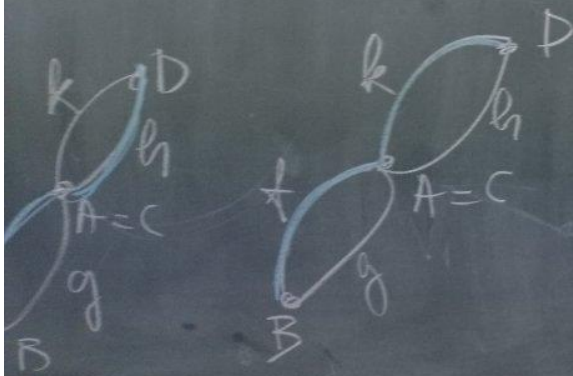
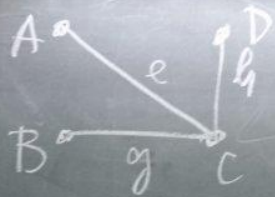
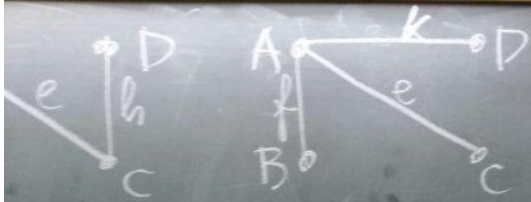
$G_1 \sim G_2$

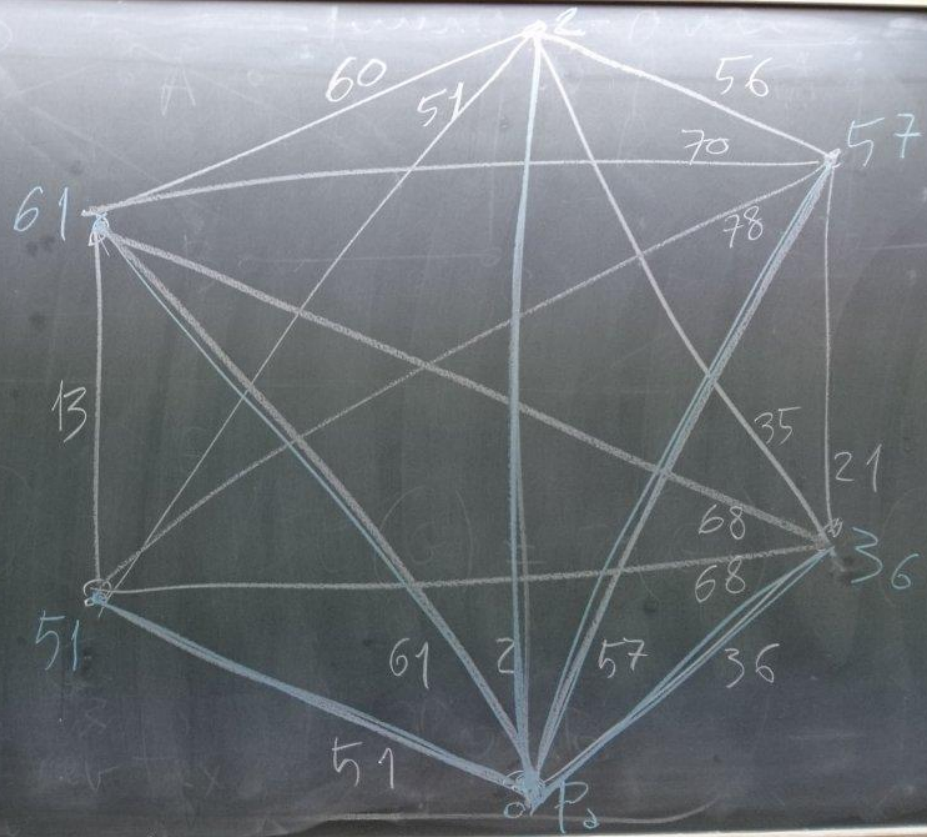
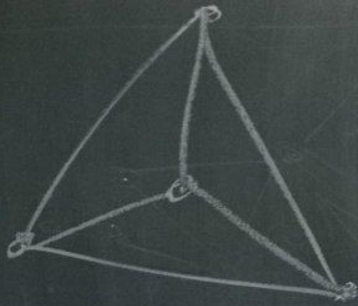
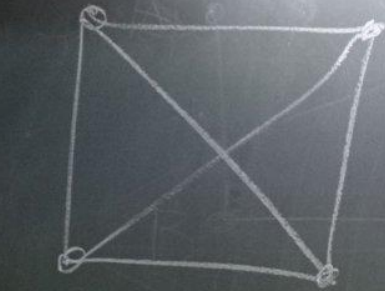


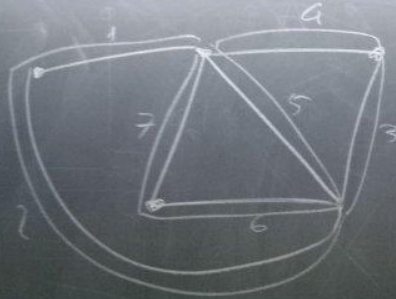


$$\binom{4}{2} = \frac{4 \cdot 3}{2} = 6$$









$A \Rightarrow B$   
is defined as  
equivalent to  
 $(\neg A) \vee B$

If  
conv  
is



If  $A \Rightarrow B$  is true, then also its  
counterpositive  
is true.

---

$$(\neg B) \Rightarrow (\neg A)$$

In fact:

$(\neg B)$   
is  
 $(\neg(\neg B))$   
which is  
 $(B \vee \dots)$   
equival

$$(\neg B) \Rightarrow (\neg A)$$

is equivalent to

$$(\neg(\neg B) \vee (\neg A))$$

which is equivalent to

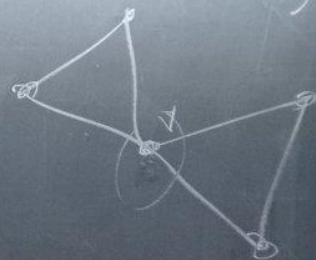
$$(B \vee (\neg A)),$$

equivalent to

$$(\neg A) \vee B$$

i.e.

$$A \Rightarrow B$$



$$S = \{v\}$$