

Stable torsion length

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Abstract: Many interesting groups are generated by torsion elements, for instance, mapping class groups, $SL(n, \mathbb{Z})$ and $\text{Homeo}^+(S^1)$. The word length with respect to this typically infinite generating set is called the torsion length. That is, the torsion length $tl(g)$ of an element g is the smallest k such that g is the product of k torsion elements. The stable torsion length $stl(g)$ is the limit of $tl(g^n)/n$, which measures the growth of the torsion length. I will explain how this is related to the stable commutator length and how to use topological methods to compute $stl(g)$ in free products of finite abelian groups. The nature of the method implies that $stl(g)$ is always rational in these free products. This is joint work with Chloe Avery.